

**Speaker:** Kannan Soundararajan

**Title:** Equidistribution from the Chinese Remainder Theorem

**Abstract:** Suppose for each prime  $p$  we are given a set  $A_p$  (possibly empty) of residue classes mod  $p$ . Use these and the Chinese Remainder Theorem to form a set  $A_q$  of residue classes mod  $q$ , for any integer  $q$ . Under very mild hypotheses, we show that for a typical integer  $q$ , the residue classes in  $A_q$  will become equidistributed. The prototypical example (which this generalizes) is Hooley's theorem that the roots of a polynomial congruence mod  $n$  are equidistributed on average over  $n$ . I will also discuss generalizations of such results to higher dimensions, and when restricted to integers with a given number of prime factors. (Joint work with Emmanuel Kowalski.)