**Title:** Quantitative equidistribution of small points on elliptic curves.

**Abstract:** Let $E/k$ be an elliptic curve over a number field, and let $v$ be a place of $k$. I will briefly describe the Berkovich analytic space associated to $E(\mathbb{C}_v)$. Then I will talk about joint work with Matt Baker in which we prove a quantitative equidistribution theorem for small points on $E$. In the archimedean setting this gives a new proof of the Szpiro-Ullmo-Zhang theorem (for elliptic curves); in the non-archimedean case the equidistribution takes place on the Berkovich space, and it generalizes a result of Chambert-Loir. Our methods are quantitative, and so we get some explicit lower bounds on the height of certain “non-equidistributed” points, such as totally real or p-adic points, or points defined over the maximal cyclotomic extension of $k$. 