

**Speaker:** Sam Mundy

**Title:** On the vanishing of Selmer groups for odd orthogonal Galois representations

**Abstract:** Let  $\pi$  be a cuspidal automorphic representation of  $\mathrm{Sp}_{2n}$  over  $\mathbb{Q}$  which is holomorphic discrete series at infinity. Then one can attach to  $\pi$  an orthogonal  $p$ -adic Galois representation  $\rho$  of dimension  $2n + 1$ . Assume  $\rho$  is irreducible and that  $\pi$  is ordinary at  $p$ . I will describe work in progress which then proves that the geometric Selmer group  $H_g^1(\mathbb{Q}, \rho)$  attached to  $\rho$  vanishes, under some mild ramification assumptions on  $\pi$ ; this is what is predicted by the Bloch–Kato conjectures.

The proof goes by constructing  $p$ -adic families of cusp forms degenerating to Klingen Eisenstein series of nonclassical weight, and using these families to construct ramified Galois cohomology classes for  $\rho^\vee(1)$ .